

Single HEMG

$$f_{HEMGp1} := \left(\frac{1}{2 \cdot w1} \right) \cdot \exp \left(\left(\frac{x - w3}{w1} \right) + \frac{w0^2}{2 \cdot w1^2} \right) \cdot \operatorname{erfc} \left(\frac{1}{\sqrt{2}} \cdot \left(\left(\frac{x - w3}{w0} \right) + \left(\frac{w0}{w1} \right) \right) \right)$$

$$f_{HEMGp1} := \frac{e^{\frac{x - w3}{w1} + \frac{w0^2}{2 w1^2}} \operatorname{erfc} \left(\frac{\sqrt{2} \left(\frac{x - w3}{w0} + \frac{w0}{w1} \right)}{2} \right)}{2 w1} \quad (1.1)$$

$$df_{HEMGp1} := \operatorname{diff}(f_{HEMGp1}, x)$$

$$df_{HEMGp1} := \frac{e^{\frac{x - w3}{w1} + \frac{w0^2}{2 w1^2}} \operatorname{erfc} \left(\frac{\sqrt{2} \left(\frac{x - w3}{w0} + \frac{w0}{w1} \right)}{2} \right)}{2 w1^2} \quad (1.2)$$

$$- \frac{e^{\frac{x - w3}{w1} + \frac{w0^2}{2 w1^2}} e^{-\frac{\left(\frac{x - w3}{w0} + \frac{w0}{w1} \right)^2}{2}} \sqrt{2}}{2 w1 \sqrt{\pi} w0}$$

$$mf_{HEMGp1} := \operatorname{solve}(df_{HEMGp1} = 0, x)$$

Warning, solutions may have been lost

$$mf_{HEMGp1} := () \quad (1.3)$$

Additional HEMG

$$f_{HEMGp2} := \left(\frac{1}{2 \cdot w2} \right) \cdot \exp \left(\left(\frac{w3 - x}{w2} \right) + \frac{w0^2}{2 \cdot w2^2} \right) \cdot \operatorname{erf} \left(\frac{1}{\sqrt{2}} \cdot \left(\left(\frac{w3 - x}{w0} \right) + \left(\frac{w0}{w2} \right) \right) \right)$$

$$f_{HEMGp2} := \frac{e^{\frac{-x + w3}{w2} + \frac{w0^2}{2 w2^2}} \operatorname{erf} \left(\frac{\sqrt{2} \left(\frac{-x + w3}{w0} + \frac{w0}{w2} \right)}{2} \right)}{2 w2} \quad (2.1)$$

Combined HEMG

$$\begin{aligned}
 f_{HEMG} &:= w4 \cdot \left(\frac{f_{HEMGp1}}{2} + \frac{f_{HEMGp2}}{2} \right) + w5 \\
 f_{HEMG} &:= w4 \left(\frac{e^{\frac{x-w3}{w1} + \frac{w0^2}{2w1^2}} \operatorname{erfc}\left(\frac{\sqrt{2}\left(\frac{x-w3}{w0} + \frac{w0}{w1}\right)}{2}\right)}{4w1} \right. \\
 &\quad \left. + \frac{e^{\frac{-x+w3}{w2} + \frac{w0^2}{2w2^2}} \operatorname{erf}\left(\frac{\sqrt{2}\left(\frac{-x+w3}{w0} + \frac{w0}{w2}\right)}{2}\right)}{4w2} \right) + w5
 \end{aligned} \tag{3.1}$$

$$df_{HEMGp} := \operatorname{diff}(f_{HEMG}, x)$$

$$\begin{aligned}
 df_{HEMGp} &:= w4 \left(\frac{e^{\frac{x-w3}{w1} + \frac{w0^2}{2w1^2}} \operatorname{erfc}\left(\frac{\sqrt{2}\left(\frac{x-w3}{w0} + \frac{w0}{w1}\right)}{2}\right)}{4w1^2} \right. \\
 &\quad - \frac{e^{\frac{x-w3}{w1} + \frac{w0^2}{2w1^2}} e^{-\frac{\left(\frac{x-w3}{w0} + \frac{w0}{w1}\right)^2}{2}} \sqrt{2}}{4w1 \sqrt{\pi} w0} \\
 &\quad - \frac{e^{\frac{-x+w3}{w2} + \frac{w0^2}{2w2^2}} \operatorname{erf}\left(\frac{\sqrt{2}\left(\frac{-x+w3}{w0} + \frac{w0}{w2}\right)}{2}\right)}{4w2^2} \\
 &\quad \left. - \frac{e^{\frac{-x+w3}{w2} + \frac{w0^2}{2w2^2}} e^{-\frac{\left(\frac{-x+w3}{w0} + \frac{w0}{w2}\right)^2}{2}} \sqrt{2}}{4w2 \sqrt{\pi} w0} \right)
 \end{aligned} \tag{3.2}$$

$$mf_{HEMGp} := \operatorname{solve}(df_{HEMGp} = 0, x)$$

Warning, solutions may have been lost

$$mf_{HEMGp} := () \tag{3.3}$$